**CSE 579**

**Module 5 Graded Assignment**

**Template for clingo Work**

Problem 1

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| Input  Program | Hint: you only need one program with a new term, whose value will be assigned to 3 or 4 in the command line.  %%%%%%%%%%%%%%%%%%%  % File: blocks.lp: Blocks World  %%%%%%%%%%%%%%%%%%%  %%%%%%%%%%%%%%%%%%%%%%%%%%%%%%  % sort and object declaration  %%%%%%%%%%%%%%%%%%%%%%%%%%%%%%  % every block is a location  location(B) :- block(B).  % the table is a location  location(table).  %%%%%%%%%%%%%%%%%%%%%%%%%%  % state description  %%%%%%%%%%%%%%%%%%%%%%%%%%  % two blocks can't be on the same block at the same time  :- 2{on(BB,B,T)}, block(B), T = 0..m.  %%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%  % effect and preconditions of action  %%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%  % effect of moving a block  on(B,L,T+1) :- move(B,L,T).  % concurrent actions are limited by num of grippers  :- not {move(BB,LL,T)} grippers, T = 0..m-1.  % a block can be moved only when it is clear  :- move(B,L,T), on(B1,B,T).  % a block can't be moved onto a block that is being moved also  :- move(B,B1,T), move(B1,L,T).  %%%%%%%%%%%%%%%%%%%%%%%%%%%%  % domain independent axioms  %%%%%%%%%%%%%%%%%%%%%%%%%%%%  % fluents are initially exogenous  1{on(B,LL,0):location(LL)}1 :- block(B).  % uniqueness and existence of value constraints  :- not 1{on(B,LL,T)}1, block(B), T=1..m.  % actions are exogenous  {move(B,L,T)} :- block(B), location(L), T = 0..m-1.  % commonsense law of inertia  {on(B,L,T+1)} :- on(B,L,T), T < m.  :- not {on(BB,table,T)}maxtable\_size, T=0..m-1.  #show move/3. |
| Command  Lines | You should write multiple command lines below.  clingo blocks.lp blocks-scenario.lp -c m=6 -c grippers=1 -c maxtable\_size=3  clingo blocks.lp blocks-scenario.lp -c m=7 -c grippers=1 -c maxtable\_size=3  clingo blocks.lp blocks-scenario.lp -c m=4 -c grippers=1 -c maxtable\_size=4  clingo blocks.lp blocks-scenario.lp -c m=5 -c grippers=1 -c maxtable\_size=4 |
| Outputs  of clingo | You should write multiple outputs, one for each command. These outputs serve as the evidences of your answer to the following question.  Hint 1: Let n be the maximal number of blocks that can be placed directly on the table. There should be 2 command lines and outputs for n=3, where   * the 1st command line and output show k steps are not enough and * the 2nd command line and output show k+1 steps are enough.   Similarly, there should be another 2 command lines and outputs for n=4.  Hint 2: We do not give any limitation on the number of grippers.  **Table\_size = 3, m = 6:**    **Table\_size = 3, m = 7:**    **Table\_size = 4, m = 4:**    **Table\_size = 4, m = 5:** |
| Answer  to Questions | Fill in the following table that lists the minimum number of steps to solve the modified block world problem for different values of n, where n is the maximal number of blocks that can be placed directly on the table.   |  |  | | --- | --- | | n | Number of steps | | 3 | 5 | | 4 | 7 | |

Problem 2

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| Input  Program | Hint 1: You don’t need to represent any scenario since you want to find out all possible valid states with 6 blocks. Think about the value of m.  Hint 2: You don’t need to consider the limitation of the maximum number of blocks on the table. That’s only required in Problem 1.  % every block is a location  location(B) :- block(B).  % the table is a location  location(table).  %%%%%%%%%%%%%%%%%%%%%%%%%%  % description of state  %%%%%%%%%%%%%%%%%%%%%%%%%%  % two blocks can't be on the same block at the same time  :- 2{on(BB,B,T)}, block(B), T = 0..m.  % effect of moving a block  on(B,L,T+1) :- move(B,L,T).  % concurrent actions are limited by numbers of grippers  :- not {move(BB,LL,T)} grippers, T = 0..m-1.  % a block can be moved only when it is clear  :- move(B,L,T), on(B1,B,T).  % a block can't be moved onto a block that is being moved also  :- move(B,B1,T), move(B1,L,T).  %%%%%%%%%%%%%%%%%%%%%%%%%%%%  % domain independent axioms  %%%%%%%%%%%%%%%%%%%%%%%%%%%%  % fluents are initially exogenous  1{on(B,LL,0):location(LL)}1 :- block(B).  % uniqueness and existence of value constraints  :- not 1{on(B,LL,T)}1, block(B), T=1..m.  % actions are exogenous  {move(B,L,T)} :- block(B), location(L), T = 0..m-1.  % commonsense law of inertia  {on(B,L,T+1)} :- on(B,L,T), T < m.  % two same blocks cannot be top of one another  below(X,Y,T) :- on(Y,X,T).  below(X,Z,T) :- below(X,Y,T), below(Y,Z,T).  :- on(X,X,T).  :- on(X,Y,T), below(X,Y,T).  block(1..6).  #show move/3. |
| Command  Line | clingo 2blocks.lp -c grippers=2 -c m=0 0 |
| Output  of clingo |  |
| Answer  to Questions | How many valid states are there when there are 6 blocks? (Note that the limitation of blocks introduced in question 1 is not considered here.)  **4051** valid states for 6 blocks and m=0. |

Problem 3

Reading: A plan may allow multiple actions happening at the same time, e.g., when we have multiple robots working together to increase efficiency. However, if there is a little bit delay on one action, then we may get unexpected results. For example, when 2 robots are moving 2 adjacent blocks to the left at the same time, if there is a delay for the robot on the left-hand side, then these 2 robots may hit with each other. To make sure that our plan will get the expected result, we introduce the restriction "serializable" on the actions happening at the same time. This restriction simply says that, even if some actions in the same time stamp happen in serial with arbitrary ordering, the final result would be the same.

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| Input  Program | :- move(B, L, T), move(B1, L1, T), L != table, on(B1, L, T), B != B1. |
| Command  Line | Please only show the command line that outputs the minimal length plan.  clingo 3blocks.lp blocks-scenario3.lp -c x=8 -c grippers=10000 |
| Output  of clingo | Minimal length = 8 |

Problem 4

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| Input  Program | #minimize{1, B, L, T : move(B, L, T)}. |
| Command  Line | You should write multiple command lines below.  clingo blocks-4.lp blocks-scenario-4.lp -c z=8 -c grippers=10000 -t4  clingo blocks-4.lp blocks-scenario-4.lp -c z=9 -c grippers=10000 -t4  clingo blocks-4.lp blocks-scenario-4.lp -c z=10 -c grippers=10000 -t4 |
| Output  of clingo | You should write multiple outputs, one for each command. These outputs serve as the evidences of your answer to the question below.  X=8:    X=9:    X=10: |
| Answer  to Questions | What is the least number of actions when maxstep m is 8, 9, and 10?   |  |  | | --- | --- | | m | least number of actions | | 8 | 18 | | 9 | 16 | | 10 | 15 | |